DEPENDABLE SYSTEMS AND CRITICAL INFRASTRUCTURES DESIGN

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RELIABILITY ENGINEERING AND HARDWARE FAULT-TOLERANCE

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WHAT IS FAULT TOLERANCE (AKA DEPENDABLE COMPUTING)

It is fair to say

- There is no hardware with zero probability to fail
- There is no complex software that is free of bugs

So how should we cope with faults, especially safe critical computing systems ????

We need to acknowledge the existence of faults and incorporate techniques to **tolerate** these faults while delivering an acceptable level of service

BRIEF HISTORY OF DEPENDABLE COMPUTING

- 1940s: ENIAC, with 17.5K vacuum tubes and 1000s of other electrical elements, failed once every 2 days (avg. down time = minutes)
- 1950s: Early ideas by von Neumann (multichannel, with votin[g\)](http://rsdo.gsfc.nasa.gov/rapidII/downloads/NASA%20Logo.jpg) and Moore-Shannon ("crummy" relays)
- 1960s: NASA and military agencies supported research for long-life space missions and battlefield computing
- 1970s: The field developed quickly (international conference, many research projects and groups, experimental systems)
- 1980s: The field matured (textbooks, theoretical developments, use of ECCs in solid-state memories, RAID concept), but also suffered some loss of focus and interest because of the extreme reliability of integrated circuits
	-
- 1990s: Increased complexity at chip and system levels made verification, testing, and testability prime study topics
- 2000s: Resurgence of interest owing to less reliable fabrication at ultrahigh densities and "crummy" nanoelectronic components
- 2010s: Integration of reliability, safety, privacy, and security concerns, particularly in the cloud, artificial intelligence systems, and IoT

Abstraction Layers of a computing system

The manifestation of a fault will produce error in the system's state, which could lead to a system failure

EXAMPLES AND ANALOGIES \rightarrow FUNCTIONAL FAILURES

Therefore, not every defect, fault, error, malfunction, or degradation leads to failure

EXAMPLES AND ANALOGIES → **TIMING** FAILURES

Example: A real time system.

Failure **Do we have a failure??**

MORE EXAMPLES AND ANALOGIES

FAULT CLASSIFICATION

FAILURES CRITICALITY

DEPENDABLE COMPUTER SYSTEMS

Long-life systems: Fail-slow, Rugged, High-reliability Spacecraft with multiyear missions, systems in inaccessible locations Methods: Replication (spares), error coding, monitoring, shielding

Safety-critical systems: Fail-safe, Sound, High-integrity Flight control computers, nuclear-plant shutdown, medical monitoring Methods: Replication with voting, time redundancy, design diversity

Non-stop systems: Fail-soft, Robust, High-availability Telephone switching centers, transaction processing, e-commerce Methods: HW/info redundancy, backup schemes, hot-swap, recovery

Just as performance enhancement techniques gradually migrate from supercomputers to desktops, so too dependability enhancement methods find their way from exotic systems into personal computers

ASPECTS OF DEPENDABILITY

DEPENDABILITY-RELATED TERMS WITH THEIR MOST COMMON QUALITATIVE USAGES AND QUANTIFICATIONS (IF ANY).

RELIABILITY - DEFINITION

The ability of a system or component to perform its required functions under stated conditions for a specified period of time

[IEEE610]: IEEE Standard Glossary of Software Engineering Terminology, IEEE Std 610.12-1990 (R2002).

RELIABILITY

 R(t): probability that the system remains in the "Functional" state through the interval [0, t]

 $R(t) = P(\text{not failed during } [0, t])$

assuming it was functional at time $t = 0$

- \blacksquare t = duration of the mission. If a system needs to work for slots of ten hours at a time, then $(t = 10$ hrs)
- R(t) for system with exponential distributed failure rate λ is

 \blacksquare R(t) = $e^{-\lambda t}$

EXAMPLE

Context

- We are developing a computing system for a Cubsat to fly in Low Earth Orbit (LEO)
- The mission will last 1 month
- We need to choose RAM1 or RAM2 for the system such that $R(t=1 \text{ month})$ of the RAM is not lower than 0.83.
- \blacksquare λ of RAM1 is 1 failure per year, while for RAM2 it is twice the failure rate of RAM1.

Question?

Which RAM should I choose???

MEAN TIME TO FAILURE (NON REPAIRABLE SYSTEMS) MEAN TIME BETWEEN FAILURE (REPAIRABLE SYSTEMS)

$$
M T T F = \int_0^\infty R(t) = \int_0^\infty e^{-\lambda t} = 1/\lambda
$$

- \blacksquare MTTD \rightarrow Average time to detect
- \blacksquare MTTC \rightarrow Average time to correct
- $MTTR = MTTD + MTTC$
- $MTBF = MTTF / MTTR$

AVAILABILITY VS STEADY AVAILABILITY

- Let's examine the Availability *A(t)* function $A(t) = \frac{\mu}{\lambda + \mu} + \frac{\lambda e^{-t(\lambda + \mu)}}{\lambda + \mu}$ $\frac{1}{\lambda + \mu}$ Eq. (14)
- The system starts at state 1 (working) and at time $t=0$, the availability $A(0) = 1$
- As the time passes, the system reaches the steady state availability
- In Eq. (14) , the first term captures the steady state expression, and the second term captures the transitory behaviour as the system approaches steady state.
- Therefore, the steady state *A* of the system is

$$
A = \lim_{t \to \infty} A(t) = \frac{\mu}{\lambda + \mu} + \frac{\lambda e^{-t(\lambda + \mu)}}{\lambda + \mu} = \frac{\mu}{\lambda + \mu}
$$

SYSTEM IN SERIES

- Assume a system with n components, e.g. CPU, memory, disk, etc.
- All components must be UP for the system to be operational
- The reliability of the system is $R_{series}(t) = \prod R_i(t)$ where Ri is the reliability of component in == *i* $R_{series}(t) = \prod R_i(t)$ 1
- **Assuming constant failure rate** λ **:**

1 2 3 n R sys = R¹ • R2 • R³ • ... • Rⁿ () exp() exp() exp() 1 1 *R t t t systemt n i i n i i series* ⁼ [−] ⁼ [−] ⁼ [−] =⁼

n

SYSTEM IN SERIES

System failure rate:

$$
\lambda_{system} = \sum_{i=1}^{n} \lambda_i
$$

- $MTTF = 1/n\lambda$
- **Example:**
	- If each component has reliability 0.99 for one year, then a system with 10 components has reliability 0.99¹⁰ ή 0.9

SYSTEM IN PARALLEL

- Assume a system with n spare units (redundancy)
- Only one unit must be UP for the system to be operational
	- Reliability of the unit i (probability to be up): Ri
	- Unreliability of the unit i (probability to be down): 1-Ri
- **Probability all the units to be down**
	- $(1-R_1)(1-R_2)...(1-Rn)$
- System reliability:

$$
R_{\text{parallel}}(t) = 1 - \prod_{i=1}^{n} (1 - R_i(t))
$$

SYSTEM IN PARALLEL

Example:

- A system consists of 10 spare units, and
- The reliability of each unit is 0.75
- The system reliability is:

 $1-(1-0.75)^{10} \approx 0.9999$

SERIAL-PARALLEL SYSTEMS

■ Example: Two CPUs (a, c) are connected with two memories (b, d) in different ways

NON SERIAL-PARALLEL SYSTEMS

- Every path from X to Y is a system configuration that allows the system to be operational
- **The system reliability can be measured by examining** the operation of the system for each unit m
	- Rsys = Rm × P(system works) m works) + (1-Rm) P(system works|*m* fails)

FLIGHT CONTROL SYSTEM OF BOEING 777

- Boeing's first commercial jet with FBW was the 777 (1995)
- In planes with no FBW, the actuators moving the surfaces of the plane are controller with mechanical interfaces
- **Planes with FBW use a flight computer that reads the input** from pilots and sensors (e.g., speed, angle of attack etc.) and controller the actuators in a closed feedback loop.
- In simple words, the pilots gives simple instructions to the computer and the computer in turn controls the plane. Needless to say, this computer should be very reliable!
- The A(T=1h) of 777's computer is 0.999999999, i.e., the probability of a fault impacting the integrity and availability of the computer should be less than 10-10 / 1h

BLOCK DIAGRAM OF THE PRIMARY FLIGHT COMPUTER (PFC) SYSTEM

- The PFC is a TMR system consisting of three computing channels (left, center, right).
- Each computing channel consists of three computing lanes.
- Each lane has its own power supply.
- Each channel is physically and electrically isolated via ARINC 629 data bus

digital autonomous terminal access communication (DATAC), also called ARINC 629 data bus

BLOCK DIAGRAM OF THE PRIMARY FLIGHT COMPUTER (PFC) SYSTEM

1 of the 3 computing channels

- All communications over the ARINC 629 data bus are CRC checked
- Each computing lane uses a different processor (Intel, AMD and Motorola)
- Each processor runs control software that is compiled by a different compiler
- Each computing lane does not operate in TMR. Instead one of the three lanes serves as the command processor and the other two monitor the outputs generated by the designated command processor.
- Only the command processor is communicating through the data buses with the remaining two channels; it transmits its proposed flight surface command to the other two channels
- Each command lane receives three values of the proposed commands, and performs a median value select to determine what is called the "selected" surface command.

Initially, Boeing management decided to use also 3-version programming for developing the control software.

But each team of programmers asked to many questions to clarify software requirements and the management cancelled the 3-version programming approach