

Real-time changepoint detection in the steel industry using Python

# Case Study

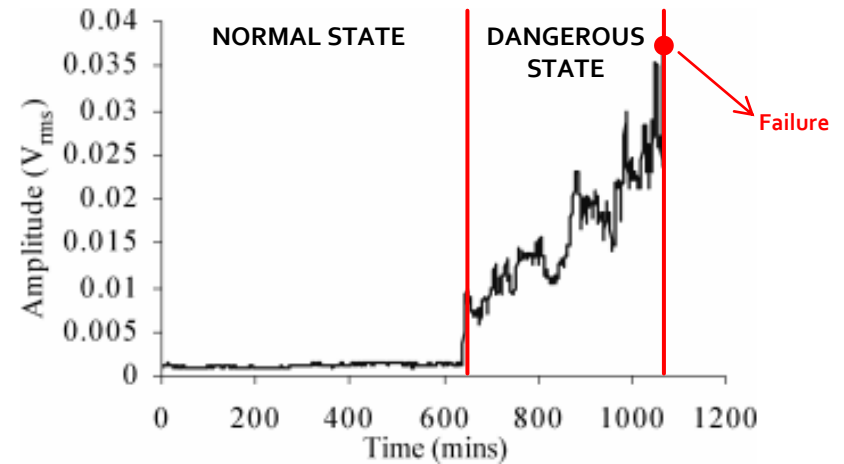
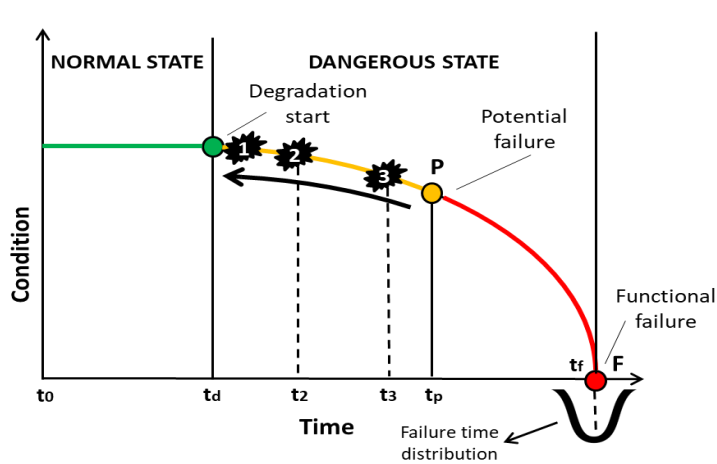
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# Background

# Predictive maintenance

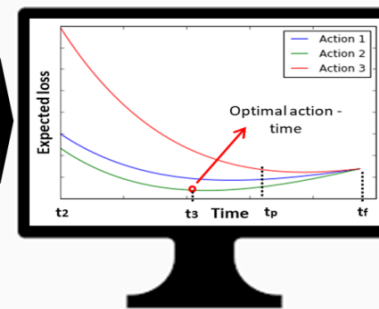
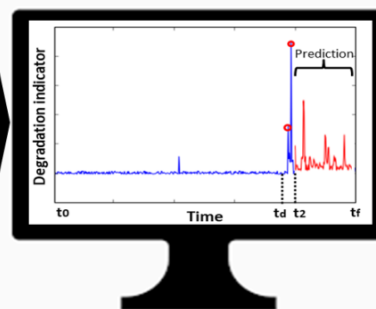
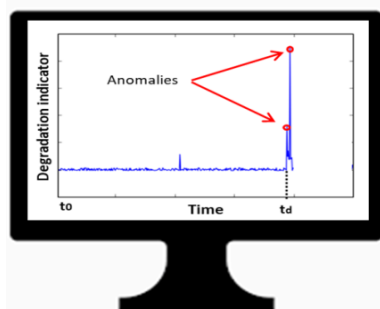
- Predictive maintenance** uses condition monitoring equipment (e.g. sensors) in order to track the performance of equipment, to detect abnormal behaviour, to predict future failures and to support decision making about proactive actions.



**1** Anomaly detection

**2** Failure prediction

**3** Maintenance action

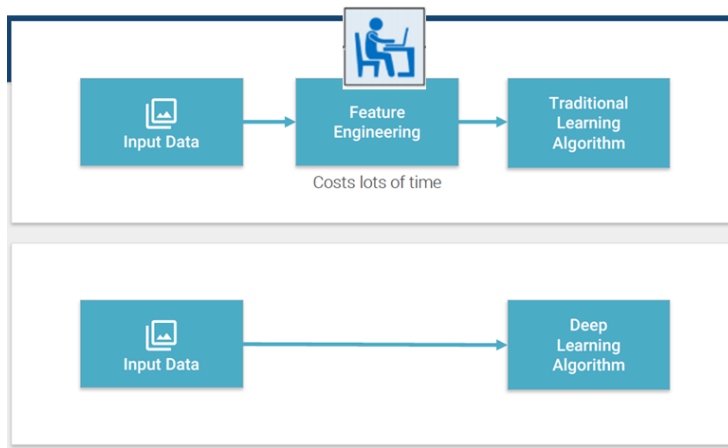


# Real-time anomaly detection

## Facts

Machine learning requires feature extraction

80% of all available data are uncertain



## Method of the case study

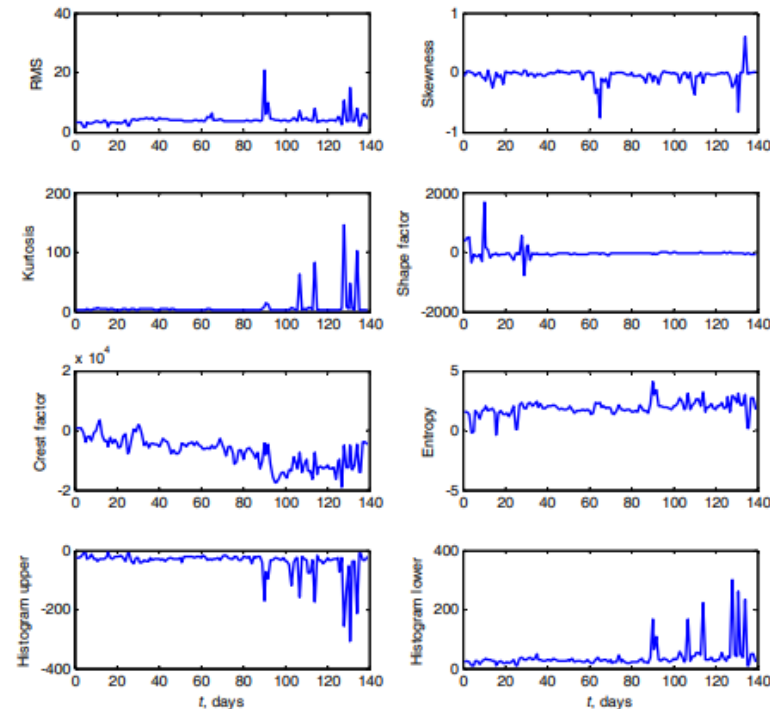
Extract **time-domain features**



Implement **Bayesian Online Changepoint Detection**

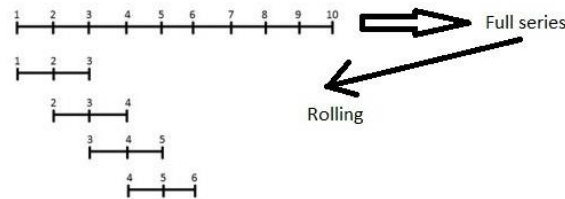
# Time-domain features (1/2)

Feature Name	Description	
	Brief Definition	Formula
RMS	The RMS value increase gradually as fault developed. However, RMS is unable to provide the information of incipient fault stage while it increases with the fault development [11].	$RMS = \sqrt{\frac{1}{N} \sum_{i=1}^N x_i^2}$
Variance	Variance measures the dispersion of a signal around their reference mean value.	$Var = \frac{\sum_{i=1}^N (x_i - m)^2}{(N-1)\sigma^2}$
Skewness	Skewness quantifies the asymmetry behavior of vibration signal through its probability density function (PDF).	$Sk = \frac{\sum_{i=1}^N (x_i - m)^3}{(N-1)\sigma^3}$
Kurtosis	Kurtosis quantifies the peak value of the PDF. The kurtosis value for normal rolling element bearing is well-recognized as 3.	$Ku = \frac{\sum_{i=1}^N (x_i - m)^4}{(N-1)\sigma^4}$
Shape factor	Shape factor is a value that is affected by an object's shape but is independent of its dimensions [12].	$SF = \frac{\sqrt{\frac{1}{N} \sum_{i=1}^N x_i^2}}{\frac{1}{N} \sum_{i=1}^N  x_i }$
Crest factor	Crest factor (CF) calculates how much impact occur during the rolling element and raceway contact. CF is appropriate for "spiky signals" [12].	$CF = \frac{\max  x_i }{\sqrt{\frac{1}{N} \sum_{i=1}^N x_i^2}}$
Entropy	Entropy, $e(p)$ , is a calculation of the uncertainty and randomness of a sampled vibration data. Given a set of probabilities, $(p_1, p_2, \dots, p_n)$ , the entropy can be calculated using the formulas as shown in the right column.	$e(p) = - \sum_{i=1}^n p(z_i) \log_2 p(z_i)$



# Time-domain features (2/2)

- A rolling feature extraction algorithm on the sensor data set creates another time-series data set including the feature values (instead of the raw data).
- Rolling window:



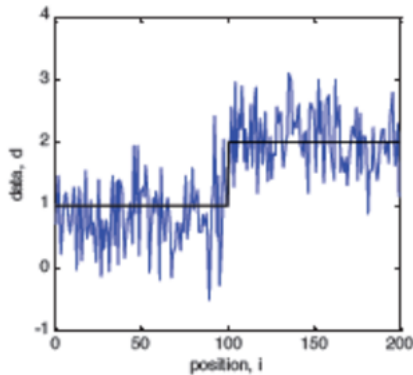
Longer rolling window sizes tend to yield smoother estimates.

Shorter rolling window sizes are more computationally efficient.

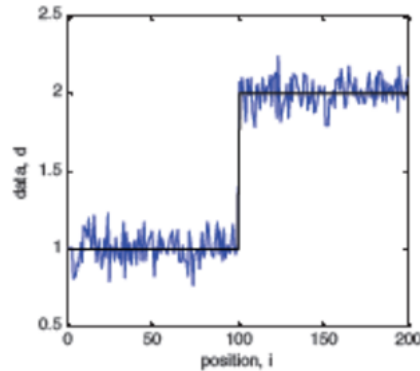
# Bayesian Online Changepoint Detection (2/2)

CP = Changepoint location(s), Noise= S.D. of noise component. Log posterior probability plots from the single changepoint algorithm are shown below each simulated data plot.

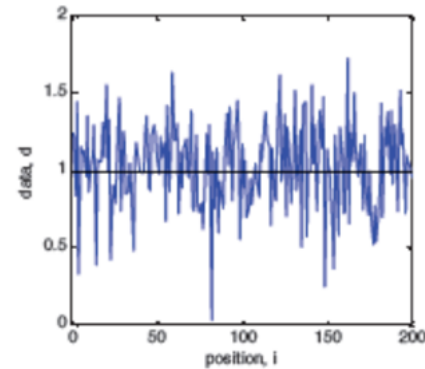
**Noise=0.5, CP = 100**



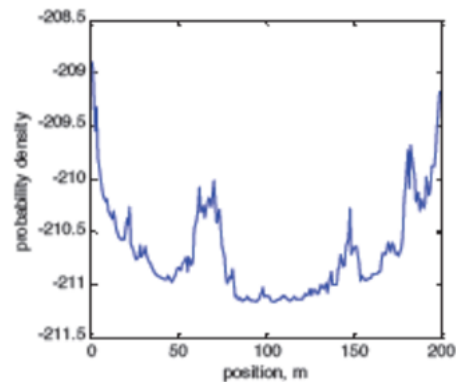
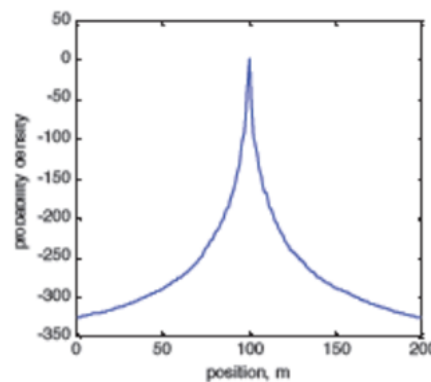
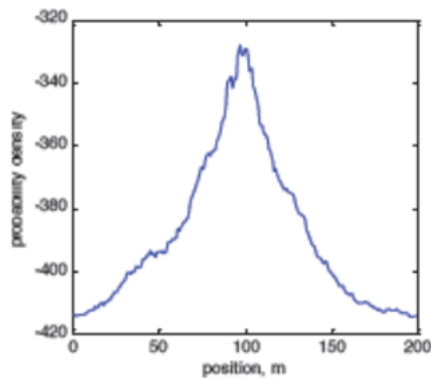
**Noise=0.1, CP = 100**



**Noise=0.3, No CPs**



The most common case in manufacturing



# Case study in the steel industry



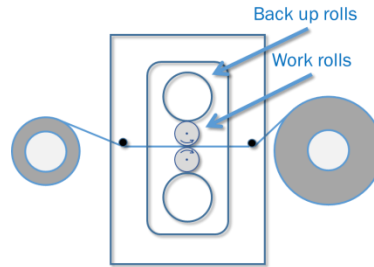
# Test cases

Datasets with sensor measurements during the whole lifetime of the equipment, i.e. from installation until a failure mode or time-based replacement.

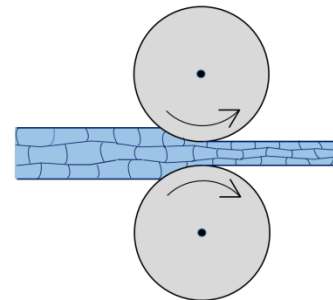
1. Bayesian Online Changepoint Detection on **raw sensor data**
2. Bayesian Online Changepoint Detection on **features**

# Steel industry

Roll Mill Stand



Deforming and Reducing the Grain Size



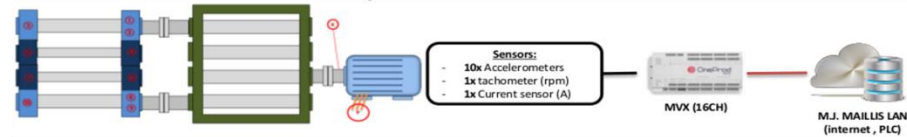
Raw material



Cold rolling mill



Infrastructure Setup for Sensor Data Collection



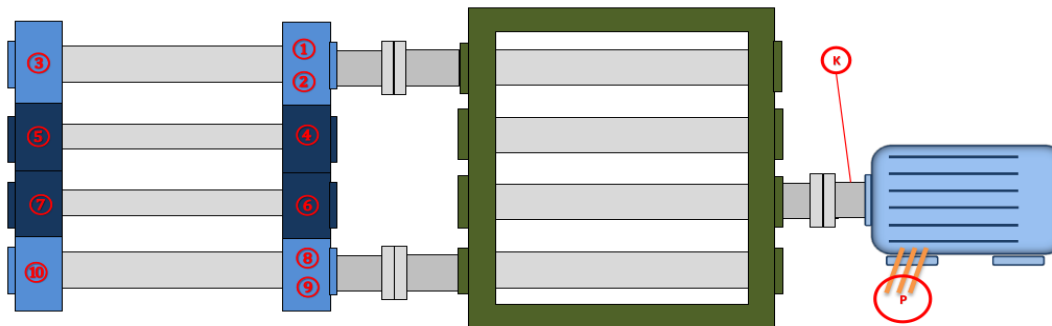
Front view of rollers



Rear view of rollers



# Sensor infrastructure



Front view of rollers



Rear view of rollers

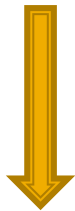
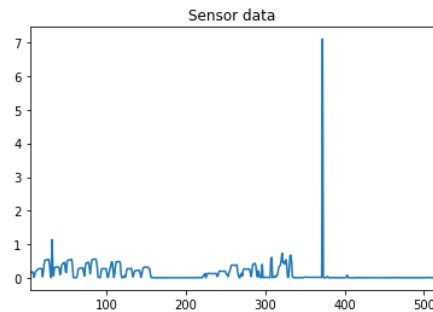


Sensor ID	Measurement point	Sensor direction	Sensor Type
1	Upper backup roll – DE side	Vertical	Accelerometer
2	Upper backup roll – DE side	Axial	Accelerometer
3	Upper backup roll – NDE side	Vertical	Accelerometer
4	Upper working roll – DE side	Reverse horizontal	Accelerometer
5	Upper working roll – NDE side	Horizontal	Accelerometer
6	Down working roll – DE side	Reverse horizontal	Accelerometer
7	Down working roll – NDE side	Horizontal	Accelerometer
8	Down backup roll – DE side	Vertical	Accelerometer
9	Down backup roll – DE side	Axial	Accelerometer
10	Down backup roll – NDE side	Vertical	Accelerometer

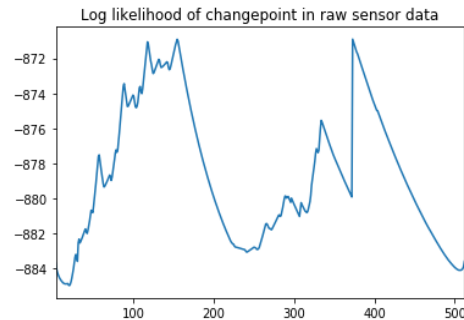
# Example

## Bayesian Online Changepoint Detection on raw sensor data

Raw sensor data

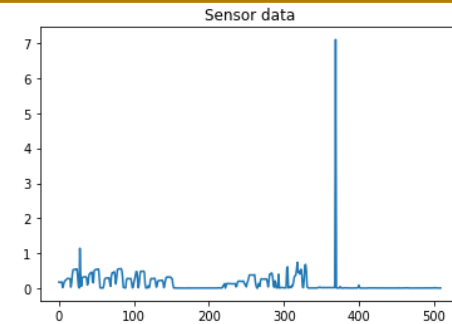


Changepoint detection

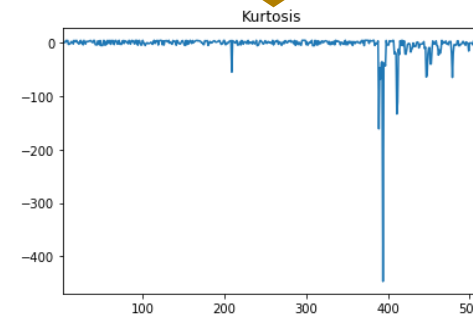


## Bayesian Online Changepoint Detection on the Kurtosis feature

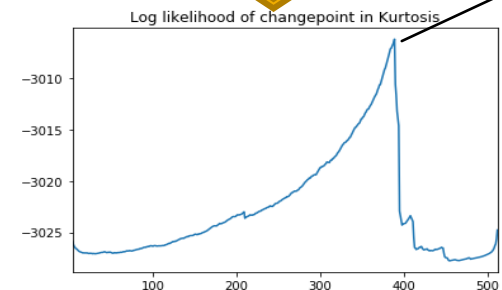
Raw sensor data



Kurtosis extraction



Changepoint detection



Thank you