Advance Python Programming

A Machine Learning-Focused Approach

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1. A Toy Example of Model-Based Learning

A Toy Example of Model-Based Learning

Model-based Learning:

- A typical way to generalize from a set of examples is to build a **model** of these examples and then use that model to make predictions. This is called **model-based learning**.
- For example, suppose you want to know if money makes people happy, so you download the **Better Life Index** data from the OECD's website and stats about gross domestic product (**GDP**) per capita from the IMF's website. Then you join the tables and sort by GDP per capita.

Country	GDP per Capita (USD)	Life Satisfaction
Hungary	12,240	4.9
Korea	27, 195	5.8
France	37,675	6.5
Australia	50,962	07.3
United States	55,805	7.2

Table 1: Does money make people happier

Can money buy happiness?







Model Selection:

There does seem to be a trend here! Although the data is noisy (i.e., partly random), it looks like life satisfaction goes up more or less linearly as the country's GDP per capita increases. So we may decide to model life satisfaction as a **linear function** of GDP per capita.

$$life_satisfaction = \theta_0 + \theta_1 \cdot GDP_per_capita \tag{1}$$

This model has two model parameters, θ_0 and θ_1 . By tweaking these parameters, you can make your model represent any linear function as shown in Fig.2.

- What is the optimal choice for the parameters θ_0 and θ_1 ?
- Answering this question requires the definition of an appropriate **performance measure**.
- You can either define a **utility function** (or **fitness function**) that measures how good your model is, or you can define a **cost function** that measures how bad it is.
- For Linear Regression problems, people typically use a cost function that measures the distance between the linear model's predictions and the training examples; the **objective** is to **minimize** this distance.

Linear Regression Algorithm: This is where the Linear Regression algorithm comes in: you feed it your training examples, and it estimates the parameters that make the linear model fit best to your data. This is called **training** the model.

• In our case, the algorithm finds that the **optimal** parameter values are $\theta_0^* = 4.85$ and $\theta_1^* = 4.91 \cdot 10^{-5}$.





We are finally ready to run the model to make predictions. For example, say you want to know how happy Cypriots are, and the OECD data does not have the answer.

• Fortunately, you can use your model to make a good prediction: you look up Cyprus's GDP per capita, find \$22,587, and then apply your model and find that life satisfaction is likely to be somewhere around $4.85 + 22,587 \cdot 4.9110^{-5} = 5.96$.